

Course compass

Question directrice : What do a fraction, a ratio and a proportion mean before any formula?

Markers:  MEASURED ·  CONVENTION ·  CALCULATED ·  TEACHING ASSUMPTION ·  APPROXIMATION

- understand the concept
- do a simple calculation
- explain every symbol
- check a result

Open educational resource: this content is not professional training, a diploma, certification, or authorization. Examples teach principles and do not replace engineering, testing, or qualification of a real system.

1 — Before symbols: understand what is being shared

A fraction, ratio or proportion is not primarily a formula. It is a way to answer a concrete question: **how is a total quantity shared, compared or scaled?**

Before calculating, name the objects. “3 out of 4” is incomplete unless we know what the four things are: batteries, kilograms of water, hours of operation, or something else. Context gives the number meaning.

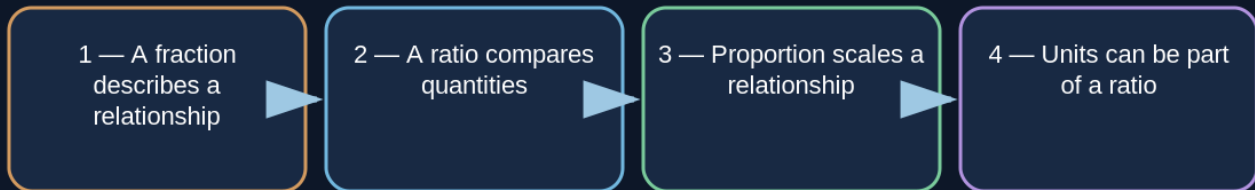
The word “part”

In this course, a **part** means one equal share of a total that we mentally divide for distribution. It is not necessarily a physical object.

Example: if 8 kg are divided into 4 equal parts, one part is $8 \div 4 = 2$ kg.

Fractions, ratios, and proportions: compare without getting lost

How do “three times as much,” “2 out of 5,” and “1 to 4” become reliable calculations?



Delta-Sierra · Space Academy

Fractions, ratios and proportions are three ways to describe sharing or comparison.

2 — A fraction describes part of a whole

$\frac{3}{4}$ is read “**three quarters**”. It means three equal parts taken out of four equal parts.

The fraction bar also means division: $\frac{3}{4} = 3 \div 4 = 0.75$. Since 0.75 equals 75%, we may write

$\frac{3}{4} = 0.75 = 75\%$.

Concrete example — Three batteries available out of four

A Mars base has 4 identical batteries. Three are available and one is under maintenance. The available fraction is $\frac{3}{4}$.

Decimal form: $3 \div 4 = 0.75$. Percentage: $0.75 \times 100 = 75\%$.

Plain English: 75% of the batteries are available.

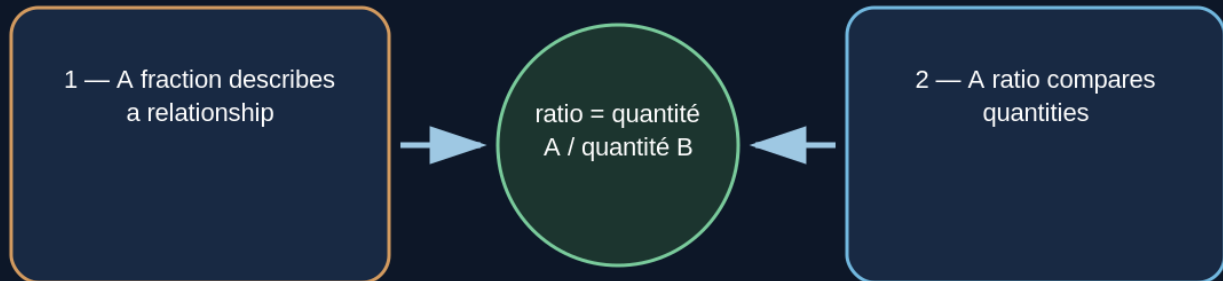
3 — A ratio compares two quantities

The ratio $3:1$ is read “**three to one**”. It means that when the first quantity receives three equal parts, the second receives one.

Important: $3:1$ does not automatically mean 3 kg and 1 kg. The ratio gives a **relationship**; a total or one known quantity is still needed to find actual values.

Fractions, ratios, and proportions: compare without getting lost

1 — A fraction describes a relationship



Delta-Sierra · Space Academy

A ratio compares quantities before their final values are known.

Master example — A Mars computer and its protective shell

We must send an 8 kg computer package to Mars. The 8 kg total includes the computer and its protective shell.

For this teaching example, use the ratio **computer : protection = 3:1**.

Step 1. Total parts = $3 + 1 = 4$.

Why add? Because we need the total number of equal parts making up the 8 kg package.

Step 2. One part = $8 \text{ kg} \div 4 = 2 \text{ kg}$.

Why divide by 4? Because the total is split into four equal shares.

Step 3. Computer = $3 \times 2 \text{ kg} = 6 \text{ kg}$.

Step 4. Protection = $1 \times 2 \text{ kg} = 2 \text{ kg}$.

Check. $6 + 2 = 8 \text{ kg}$.

Plain English: the computer is 6 kg and the protective shell is 2 kg in this example.

Calculator sequence

Type $8 \div 4 =$ to obtain 2. Then $3 \times 2 =$ to obtain 6. Check with $6 + 2 =$ to recover 8.

4 — Proportionality lets us scale

A relationship is **proportional** when multiplying one quantity by a factor multiplies the other by the same factor. The essential condition is that the amount per unit remains constant.

Concrete example — Identical oxygen bottles

We have 4 identical bottles. Each contains **5 kg of oxygen**.

With 4 bottles: $4 \times 5 \text{ kg} = \mathbf{20 \text{ kg of oxygen}}$.

With 7 identical bottles: $7 \times 5 \text{ kg} = \mathbf{35 \text{ kg of oxygen}}$.

Why multiply? Because every bottle contributes the same 5 kg.

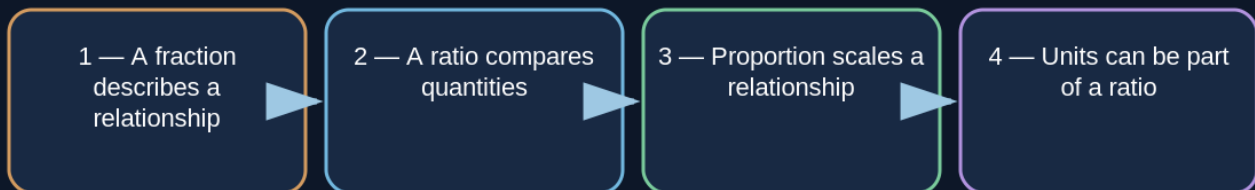
The relationship is proportional only because the bottles are identical and equally filled.

Counterexample — One bottle is half full

If one bottle contains only 2.5 kg instead of 5 kg, “number of bottles $\times$ 5 kg” no longer works. The simple proportional rule is broken.

Fractions, ratios, and proportions: compare without getting lost

2 — A ratio compares quantities



Delta-Sierra · Space Academy

Before using a rule of three, check that the quantity per unit really stays constant.

5 — Rates with units should be read aloud

Some comparisons use different physical quantities and create units such as **kg/s**, **N/kg** or **W/m²**.

- **kg/s** means “kilograms per second”;
- **N/kg** means “newtons per kilogram”;
- **W/m²** means “watts per square metre”.

The word **per** is the key: it tells us that one quantity is being related to another.

Three complete examples: understand before abbreviating

Fractions, ratios, and proportions: compare without getting lost

Three complete cases

1

Example A — $\frac{3}{4}$

Three notations for the same proportion.

2

Example B — ratio 3:1

□ CALCULATED: add the ratio parts first: $3+1$.

3

Example C — flow

kg/s is read kilograms per second.

Delta-Sierra · Space Academy

Concrete situations before abstract notation.

Example A — Share 12 litres of water at 2:1

Total parts: $2 + 1 = 3$. One part: $12 \div 3 = 4$ L. First tank: 8 L. Second tank: 4 L. Check: $8 + 4 = 12$ L.

Example B — Share 20 kg of equipment at 3:2

Total parts: 5. One part: $20 \div 5 = 4$ kg. First crate: 12 kg. Second crate: 8 kg.

Example C — Seven oxygen bottles

Each bottle contains 5 kg. Seven bottles provide $7 \times 5 = 35$ kg. If the number doubles to 14, the oxygen mass doubles to 70 kg.

6 — Only now move to abstraction

Once the idea is understood, we may call the two masses **A** and **B** and write $A:B = 3:1$.

If the total is **T**, there are four parts. One part is $T/4$, so $A = 3T/4$ and $B = T/4$.

This notation is shorter, but it is useful only after the reader knows what A, B, T and the four parts mean.

Common traps and checks

- Confusing a ratio with actual values.
- Using proportional reasoning when the relationship is not proportional.
- Leaving numbers without objects or units.
- Failing to recombine the parts to check the original total.

Final check: explain the answer in ordinary language. If the result cannot be stated without symbols, the calculation is not fully understood yet.

Exercises and solutions

Exercise 1 — Ratio 4:1

A 25 kg total is split at 4:1. Find both masses.

Solution: 5 parts; $25 \div 5 = 5$ kg per part; first mass 20 kg, second mass 5 kg.

Exercise 2 — Proportion

One identical cartridge contains 3 kg of consumable. What mass do 8 cartridges provide?

Solution: $8 \times 3 = 24$ kg, provided all cartridges are filled the same way.

Exercise 3 — Check the ratio

For a 2:3 ratio and a 30 kg total, a student gives 18 kg and 12 kg. Is the ratio correct?

Solution: no. $18:12 = 3:2$. For 2:3, one part is 6 kg, giving 12 kg and 18 kg in that order.

Primary and teaching sources

- [NIST — SI Units](#)
- [NASA Glenn — Guide to Rockets](#)